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### Box 06, Folder 05 - "Adding By Graphs" (E.M.S - ED-437 folder)

Edwin Mortimer Standing

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## Adding By Groups

So far D.S. Scaffolding

Paragraphs -

10 Counting By ones

### Now Addition to Groups.

#### By Parallel Exercises

" When I speak of 11. Ex. I mean those ex. which are separate from one another in themselves, but which refer to one whole.

They are separate Ex. and the ch. can begin with one or the other, as they do in C. or B. when to do the General Ex.

So the D.S. Gives the Fundamental -

Then there are many Ex. wh. are diff. in form another taken together they serve to illustrate the details + make a more profound impression -

Here the Special Pt. Adding of Groups of Units

#### The Principle

1) See Separate to Difficulties

2) Give each in a separate Ex.

as a fascinating whole.



Suppose. Chairs in 3 rooms

$$7 + 4 + 5$$

"The adding can only be done in one way by the D.S."

What does that mean?

"Every time we arrive at 10 we arrive at a different group."

So we have to reduce the different groups to groups of ten.

$$7 + 4 + 5 = \neq 11 + 5 = 10 + 1 + 5 = 16$$

### So Two Difficulties

- 1) To know what results from the union of units
- 2) To realize the group is always reduced to 10 + something.

### Difficulty One

This - the result of union of groups - is a fact of memory - to be visualized.

So we have.

⊕ Addition Table (they have it)

⊕ Addition Board

This is just like what has been done with Number-Rods



Second Difficult

The Grouping Reduced to 10 and something

Snake Game

(Describe it.)

"So the essence these variegated bits have all been brought into D.S. The essence of this ex. is to find out how many tens are in it. This is the important thing.

Proof of it - in Tens

Ann 1) To practice adding in groups. - a real beginning to addition 10 results of 2 or more nos - round about 10  
(Adosso! or Deci)

Nothing more complicated than 16 rods - can't keep repeating & repeating. - get agiles in D.S. -  
Bunches a profound persuasion

Appear to be doing much more  
(of that same) - because



All that mental baggage is carried by the golden snake - for the child.

eg.  $75 + 16$  - difficult.

"Teus are sent by advanced baggage"  
waiting for us at terminus

Thus Difficulties are Separate

Control of Error - Making Teus

A pt to begin with - just 10s.

"Thus the mind habituates itself to counting always with a synthetic reference to 10. as though everything is referred to this sole thing -

- Difficulties of Adding or Counting always same
- 1) Effort to count single strands
  - 2) At the same time carry all this accumulation of 10s.